

Appunti universitari
Tesi di laurea
Cartoleria e cancelleria
Stampa file e fotocopie
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Rilegature

NUMERO: 587 DATA: 17/07/2013

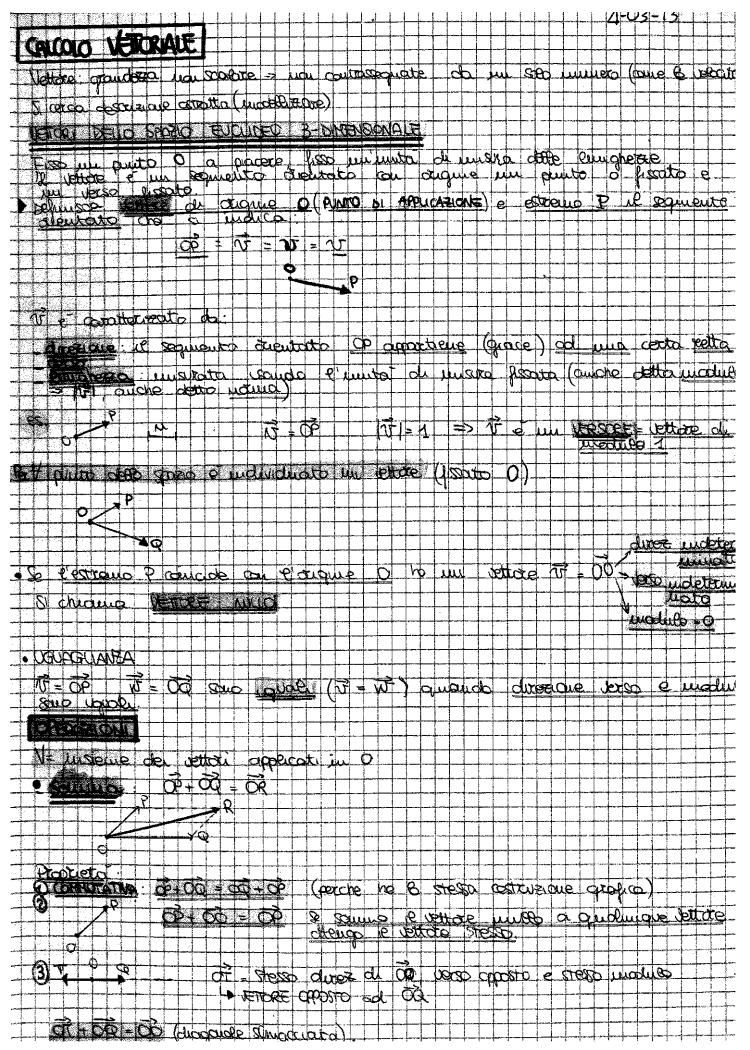
APPUNTI

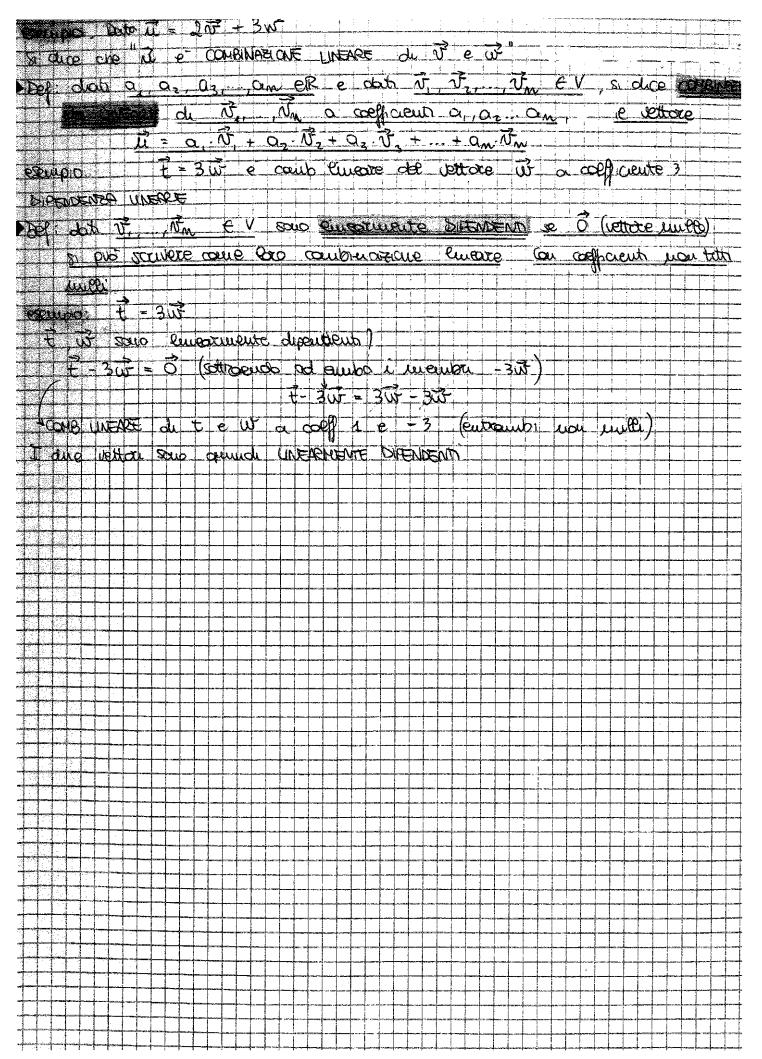
STUDENTE: Mancino

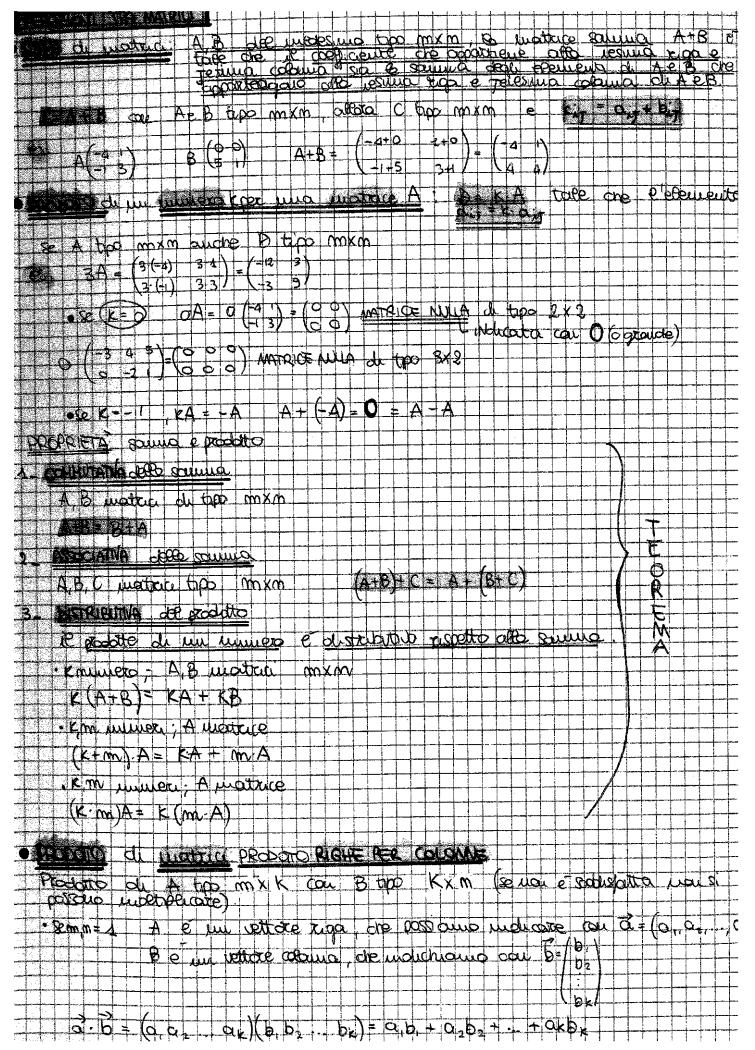
MATERIA: Geometria + Eserc.

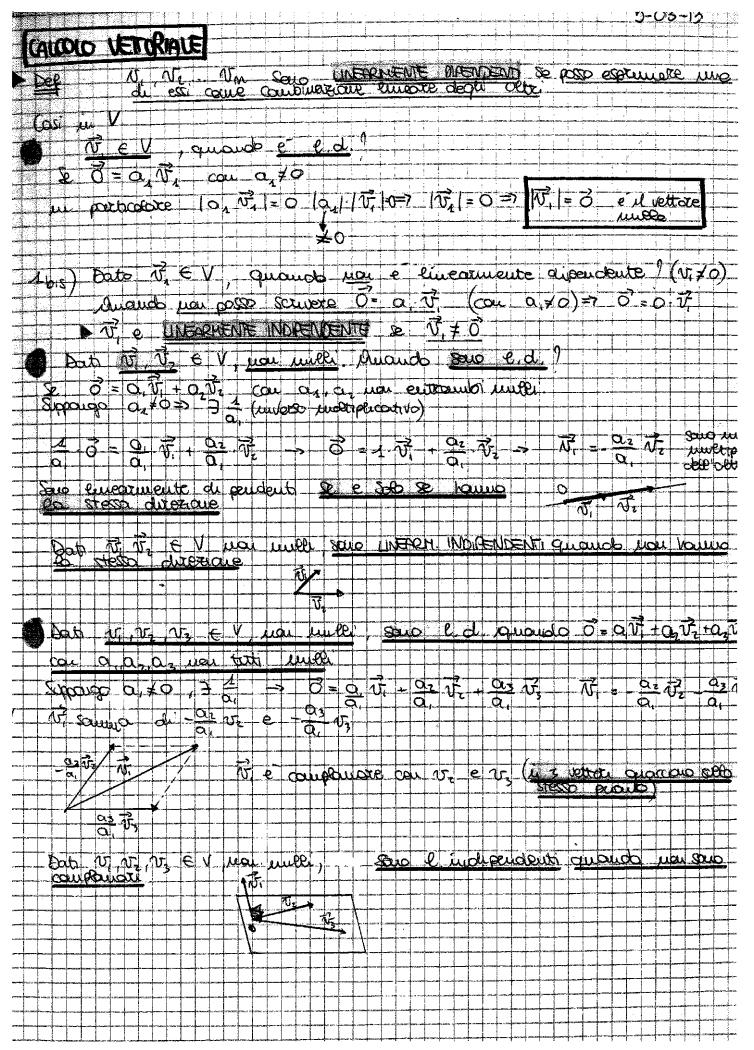
Prof. Cumino

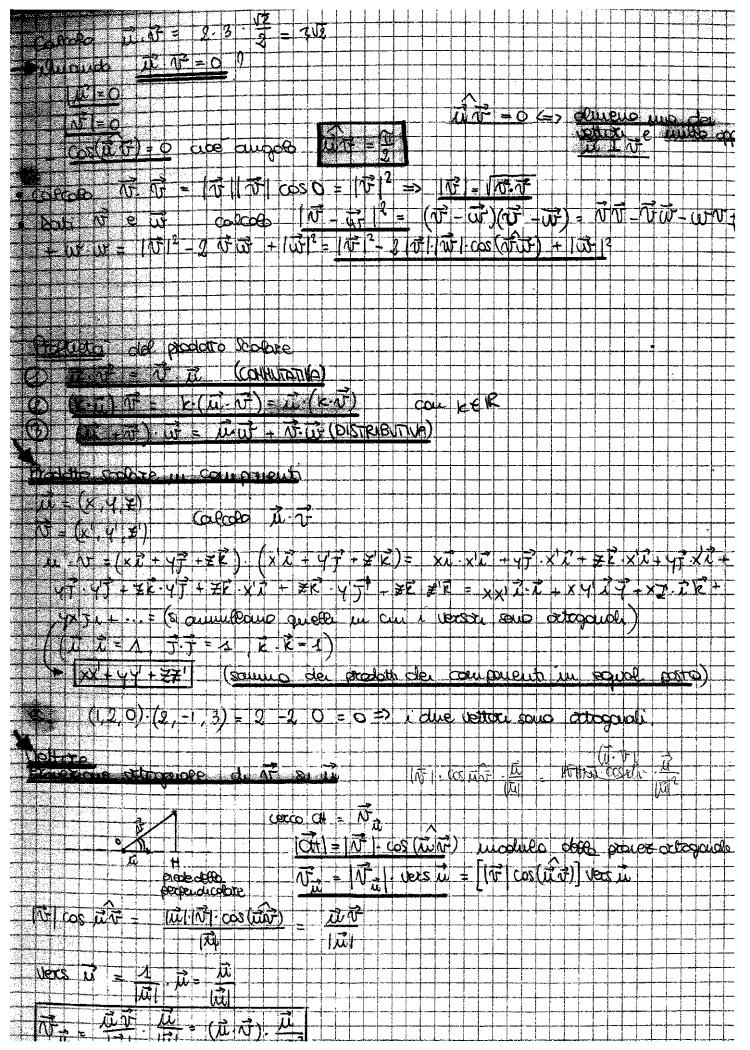
Il presente lavoro nasce dall'impegno dell'autore ed è distribuito in accordo con il Centro Appunti. Tutti i diritti sono riservati. È vietata qualsiasi riproduzione, copia totale o parziale, dei contenuti inseriti nel presente volume, ivi inclusa la memorizzazione, rielaborazione, diffusione o distribuzione dei contenuti stessi mediante qualunque supporto magnetico o cartaceo, piattaforma tecnologica o rete telematica, senza previa autorizzazione scritta dell'autore.

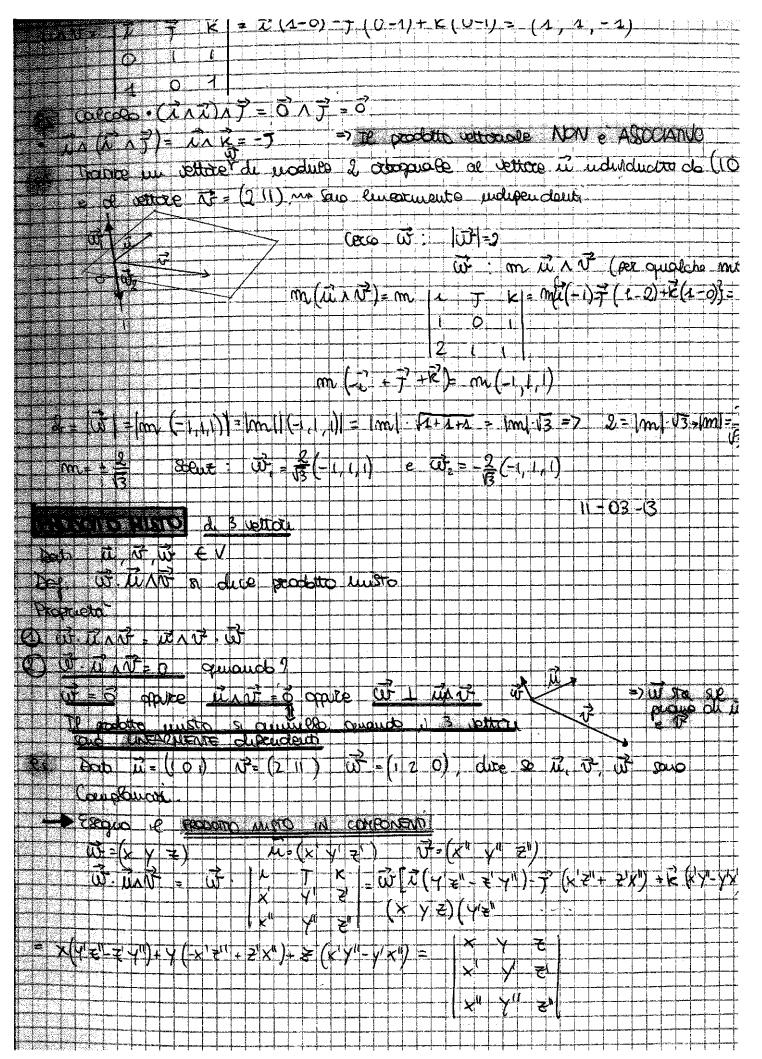


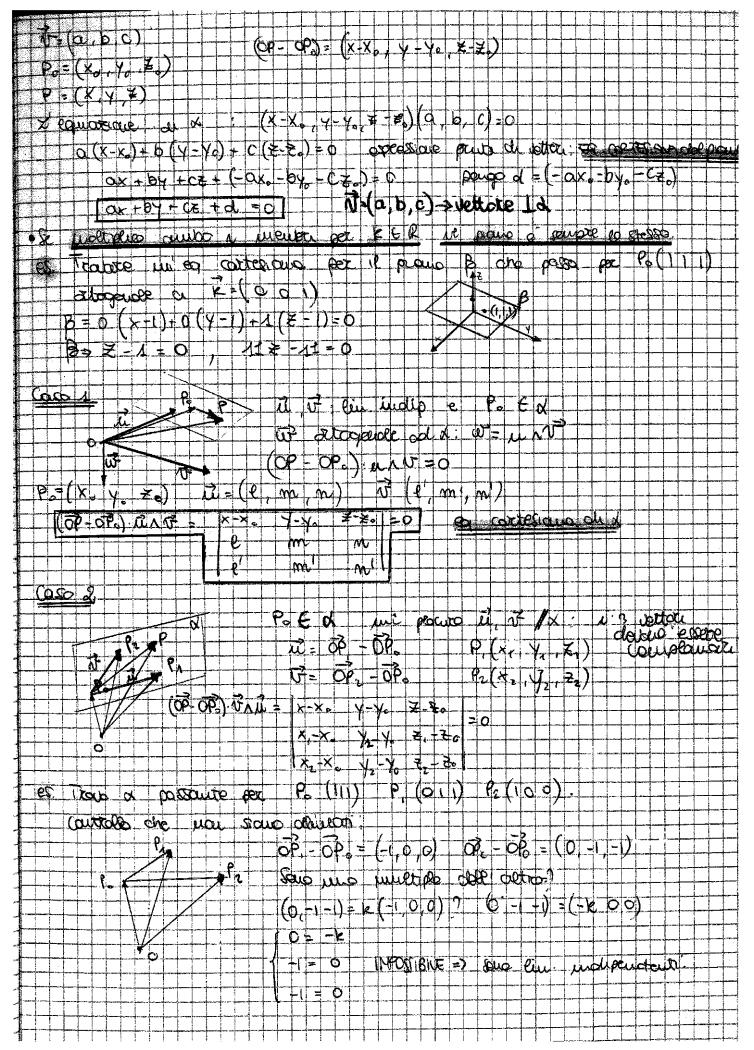


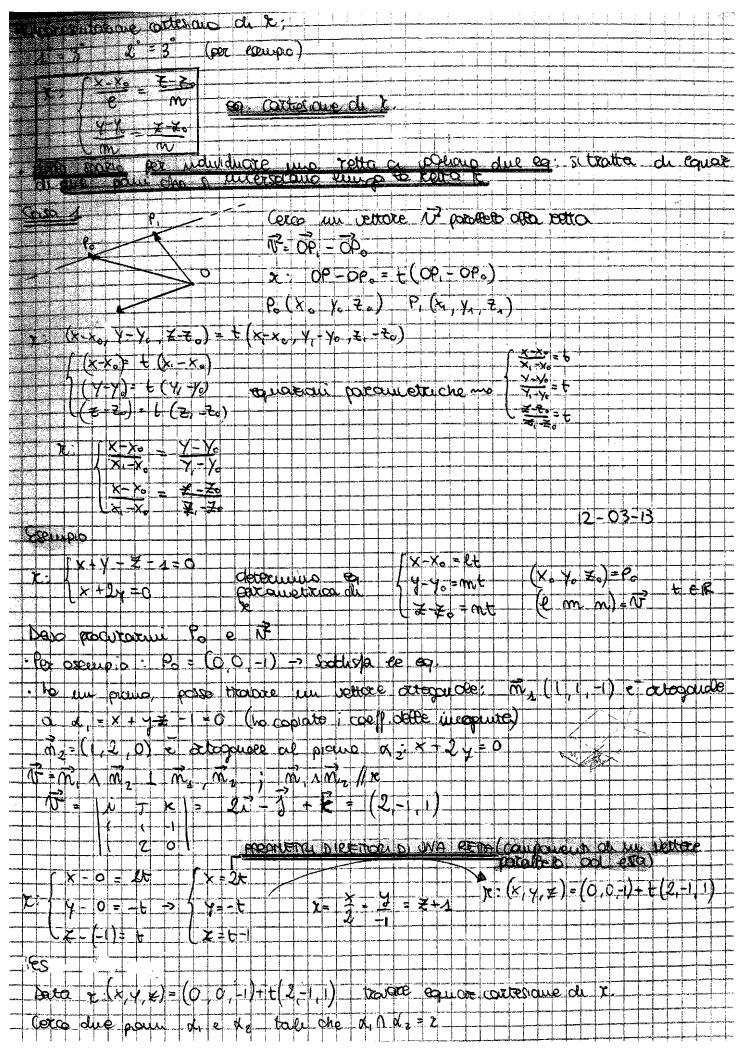


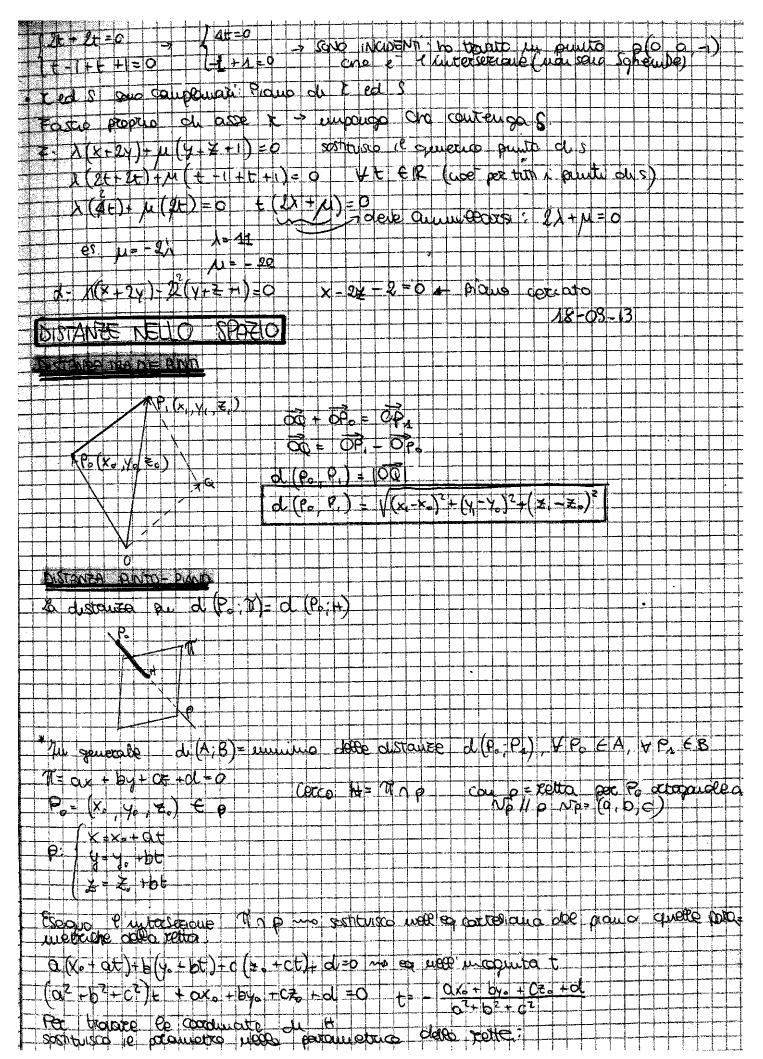


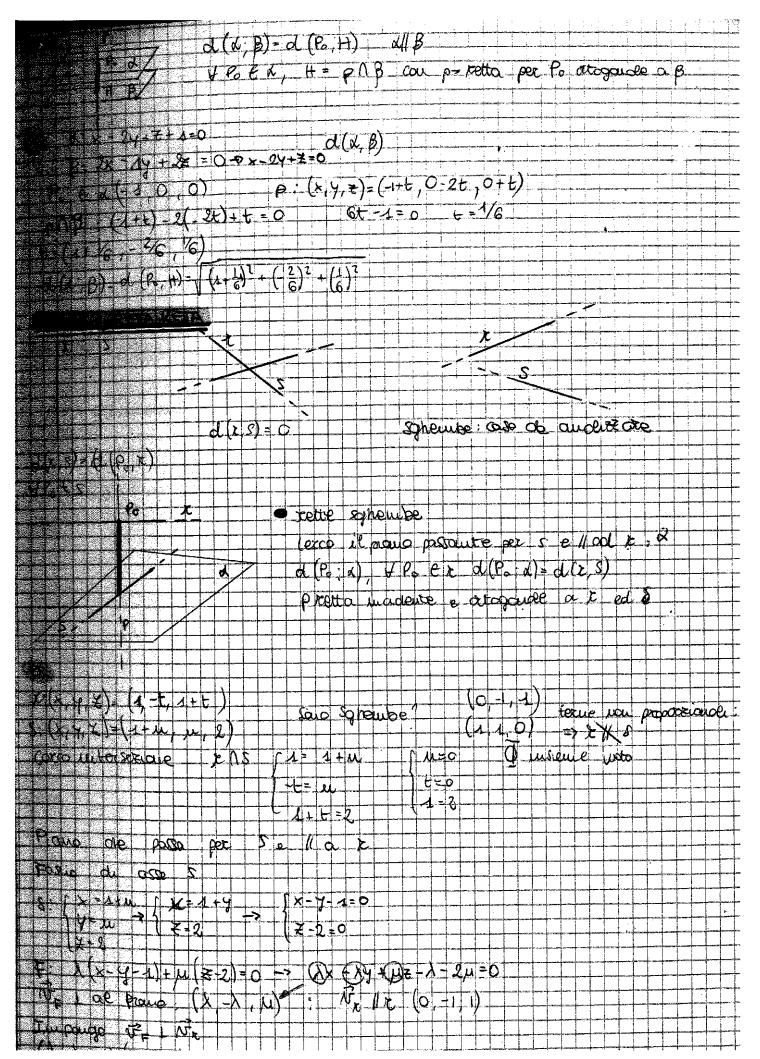


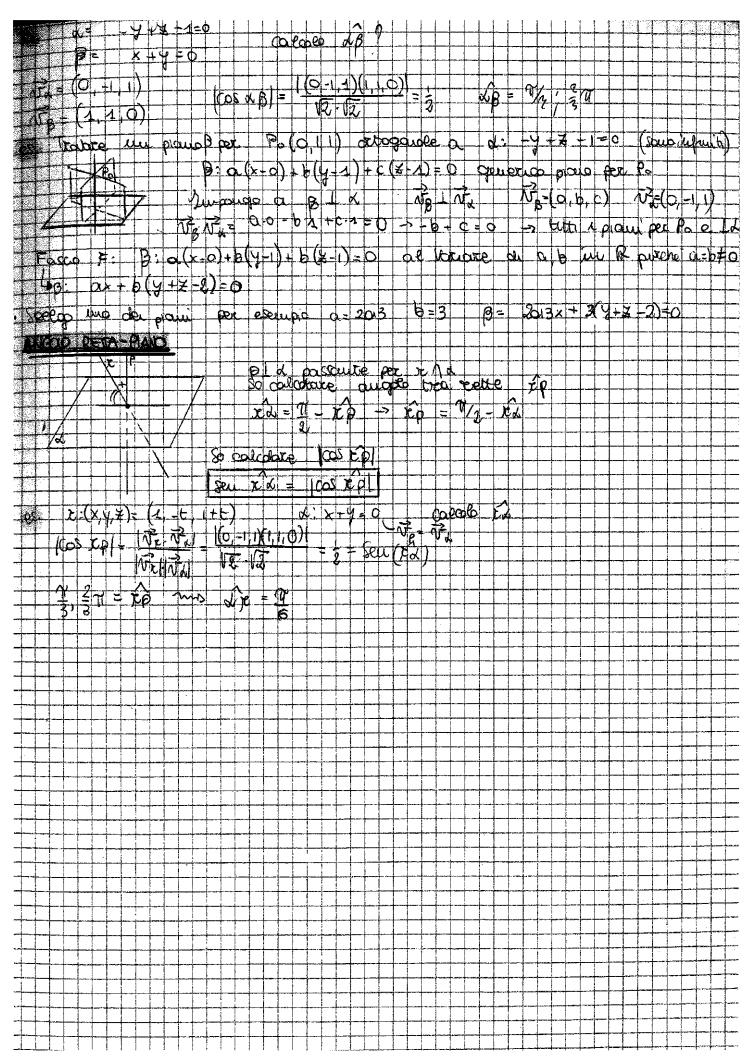




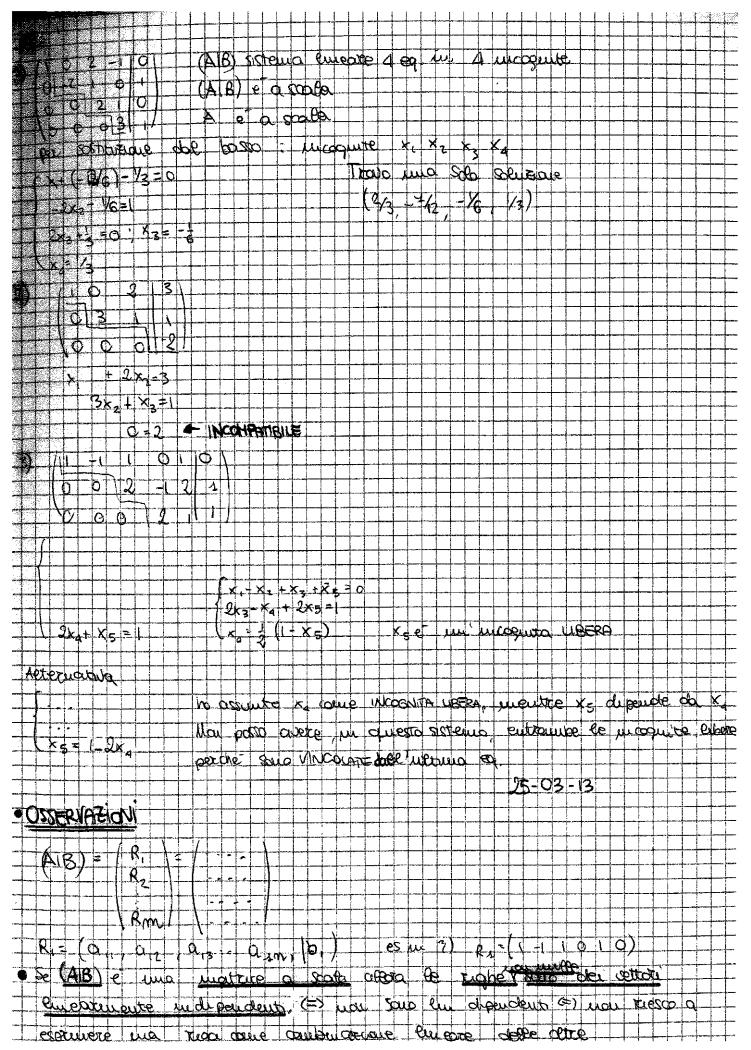




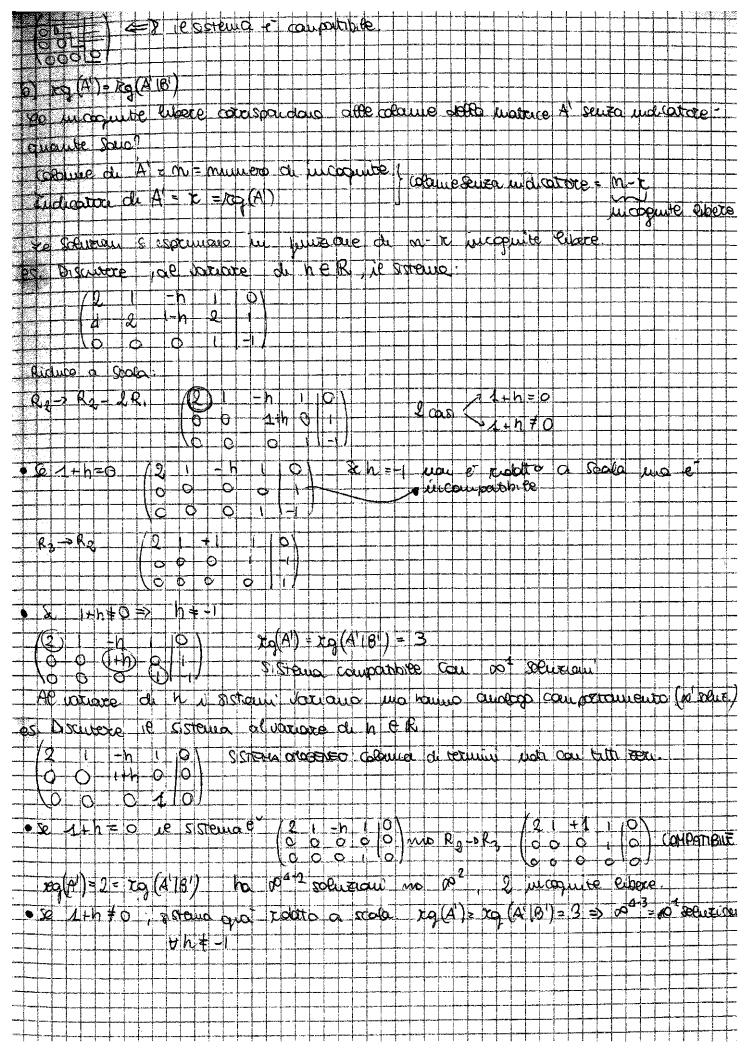




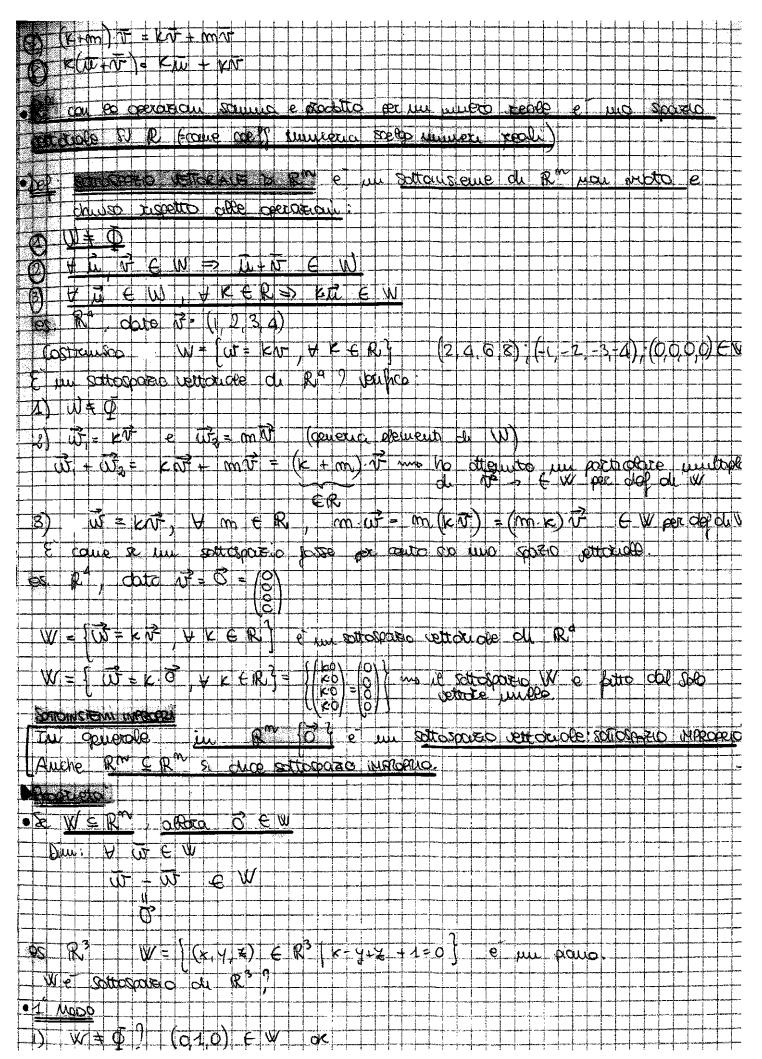
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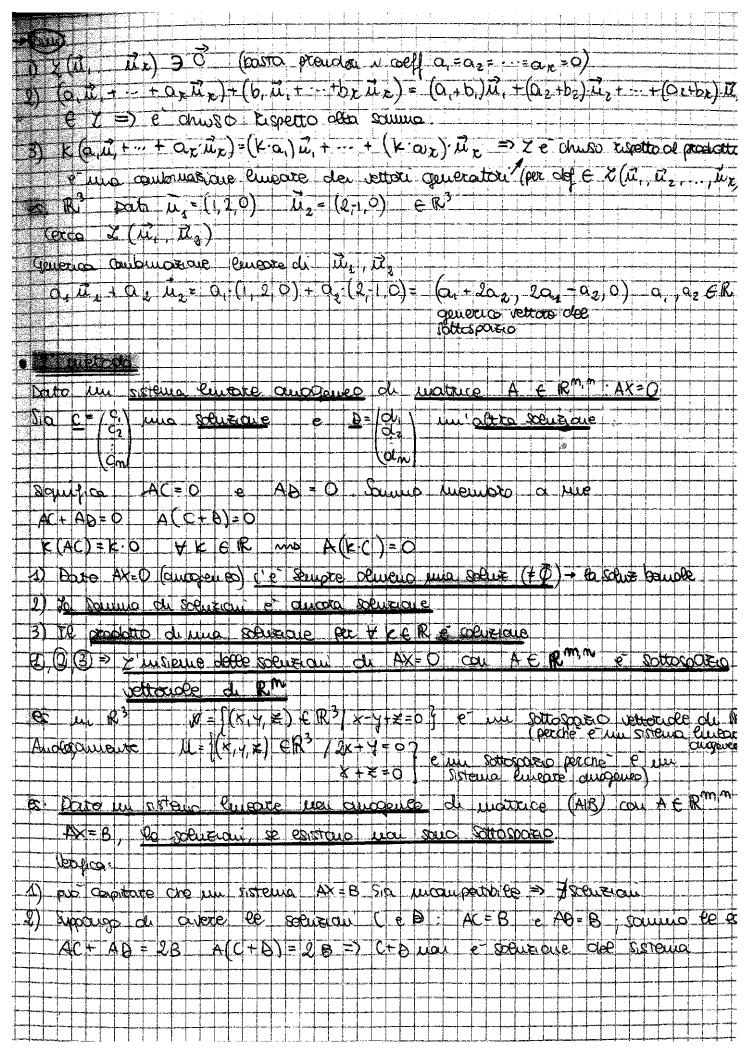


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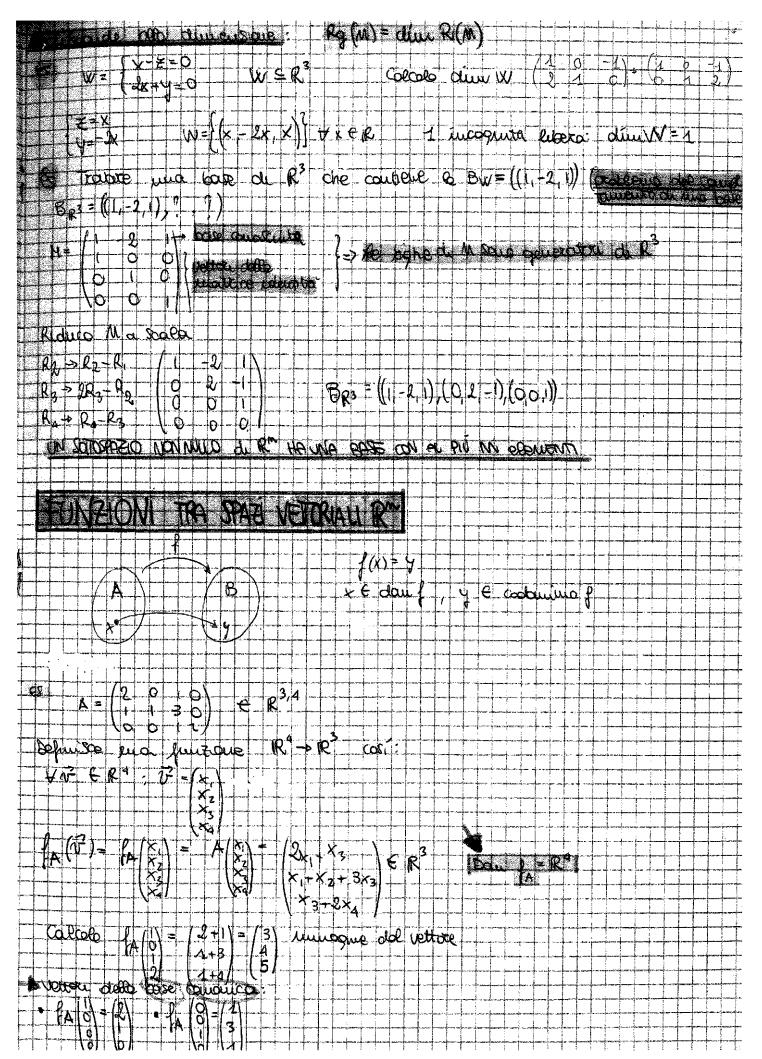
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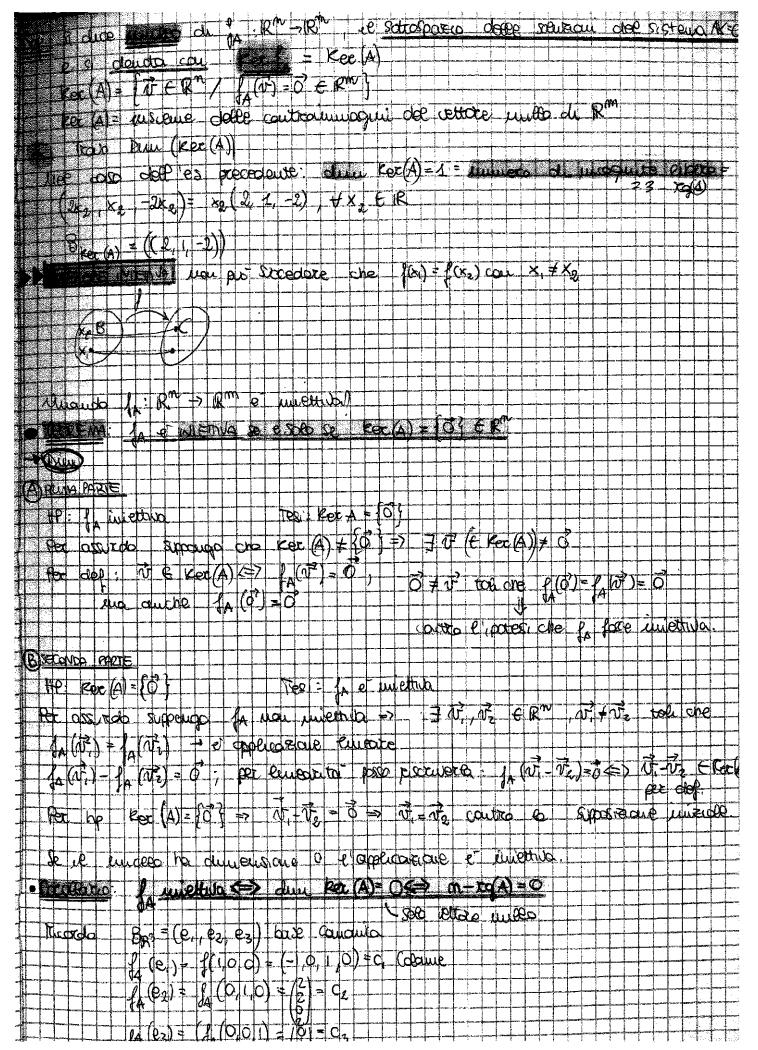


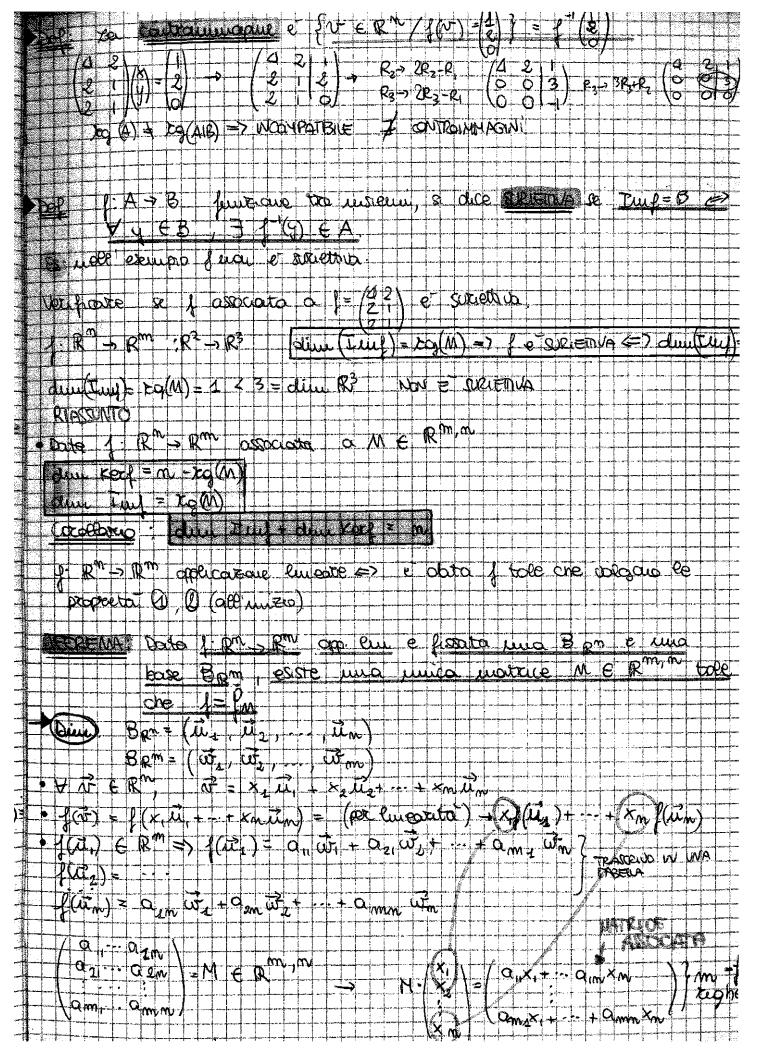


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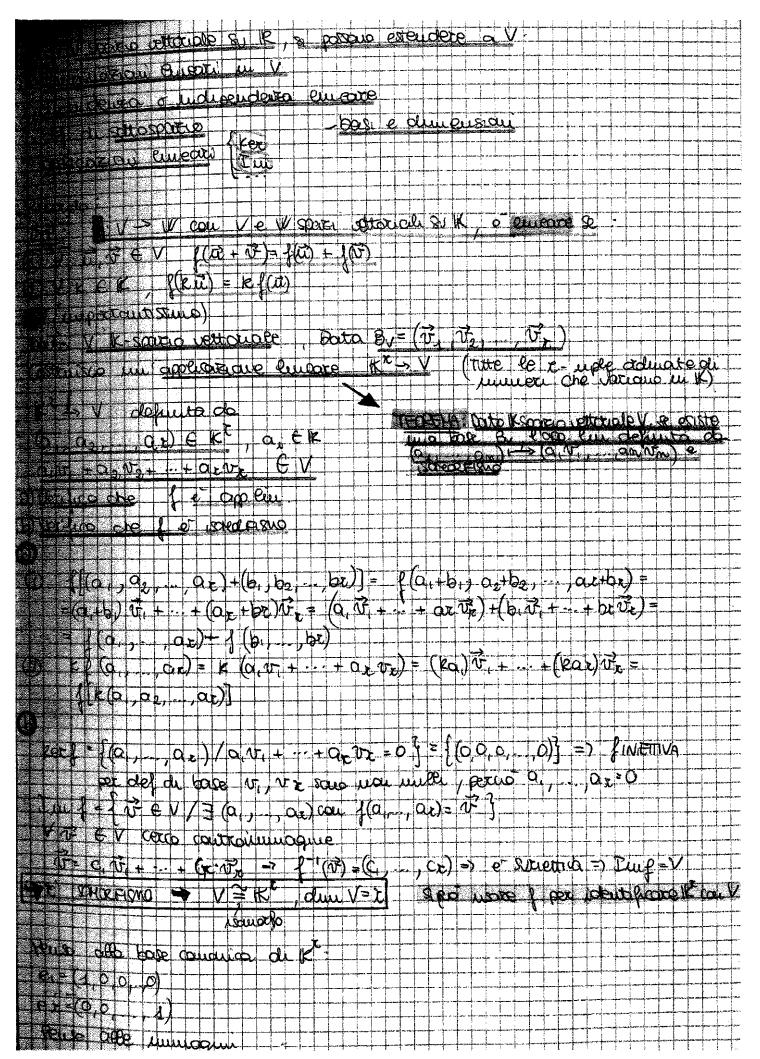
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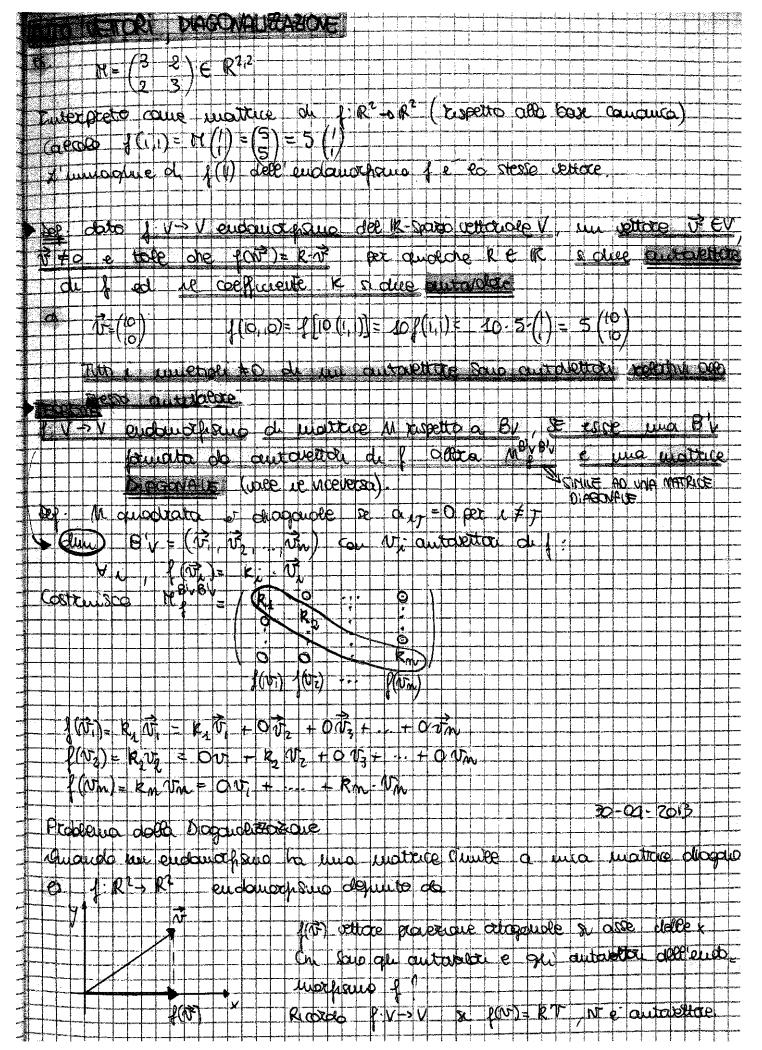


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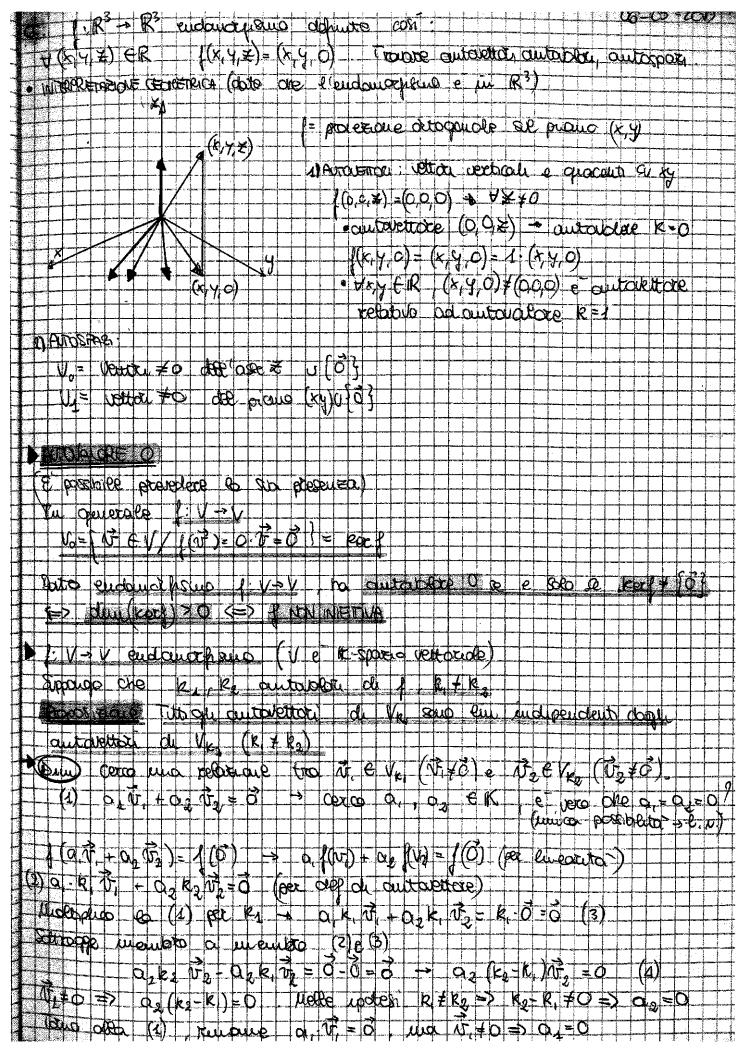


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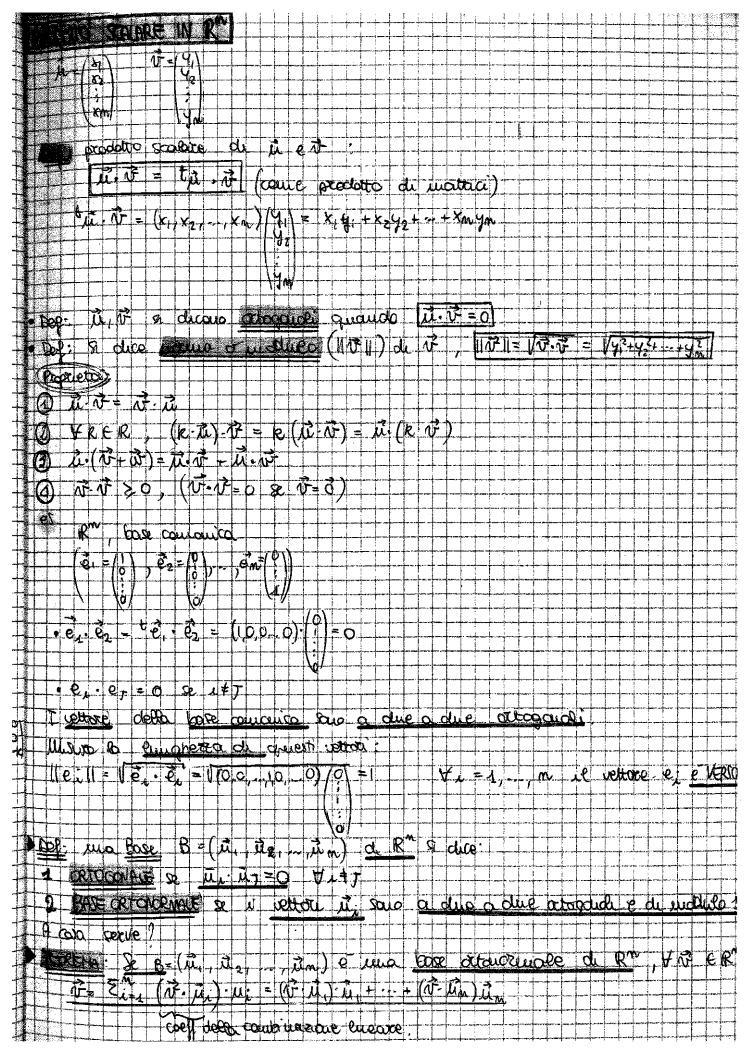


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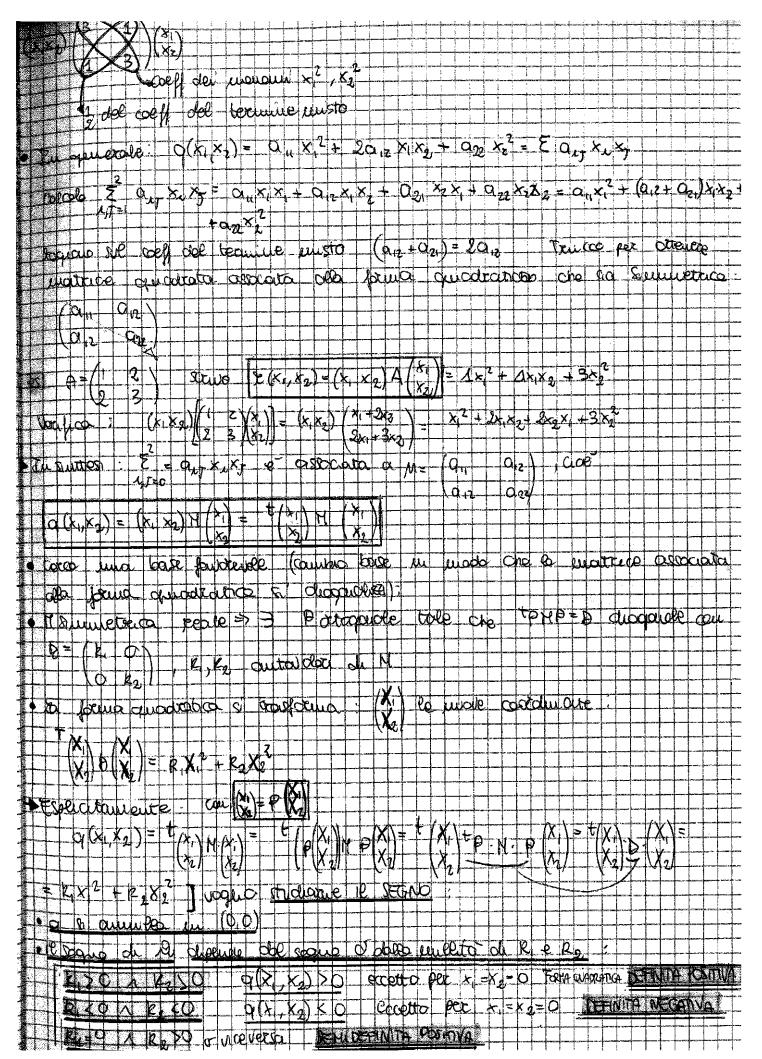
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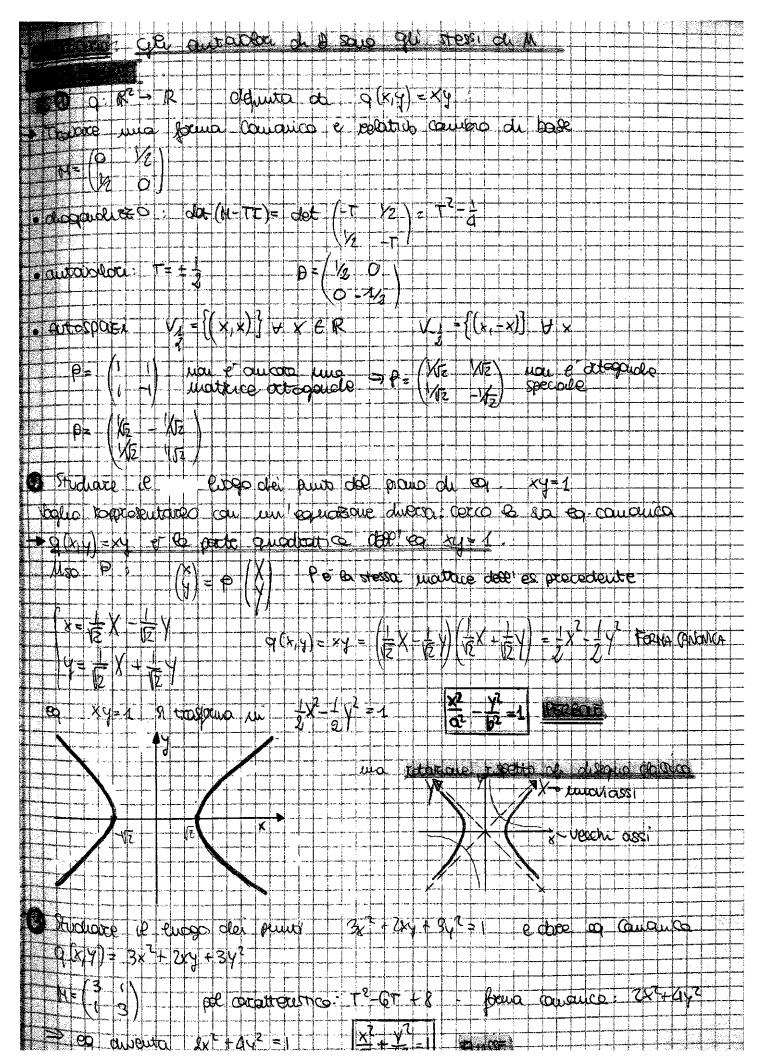
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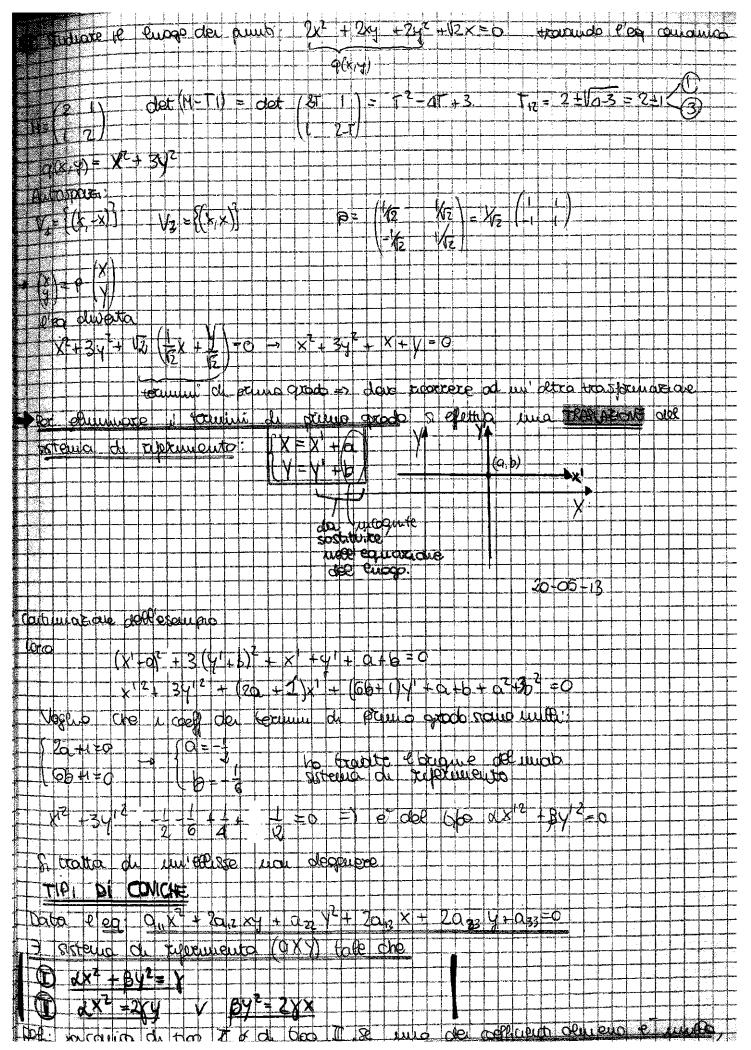


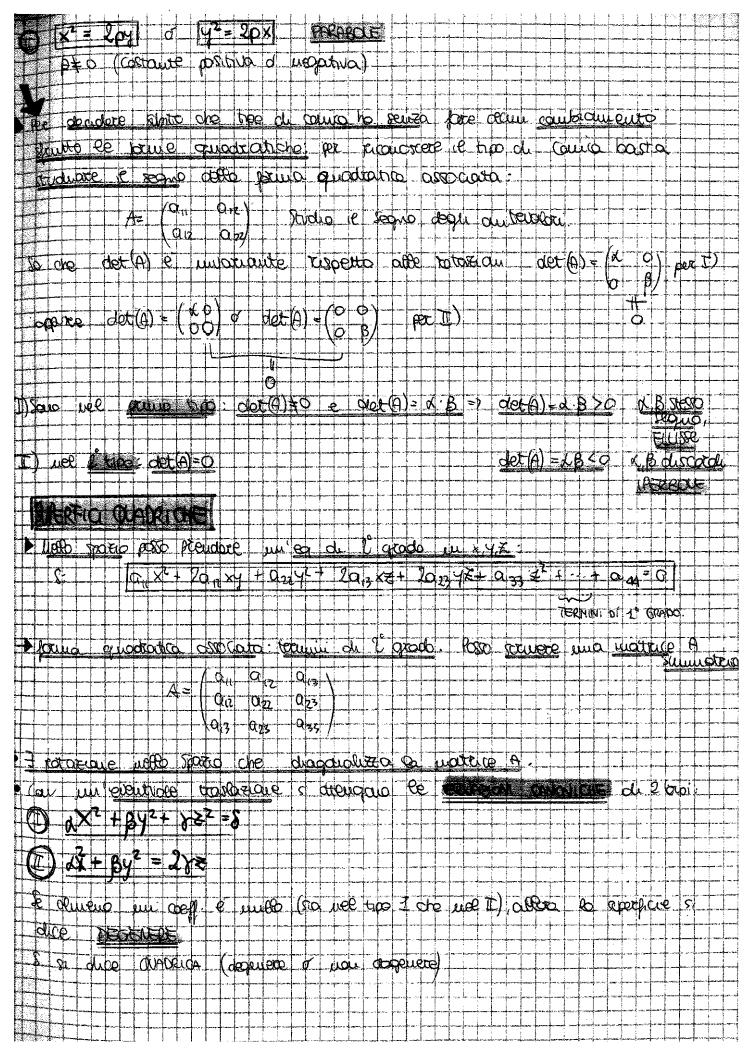
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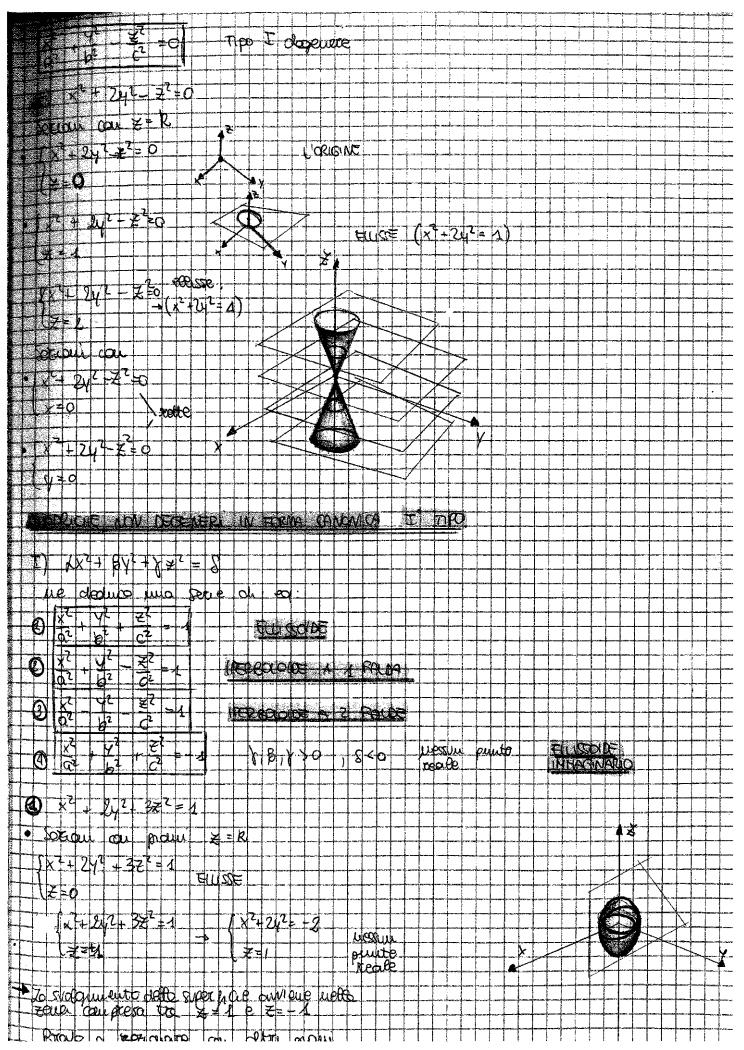
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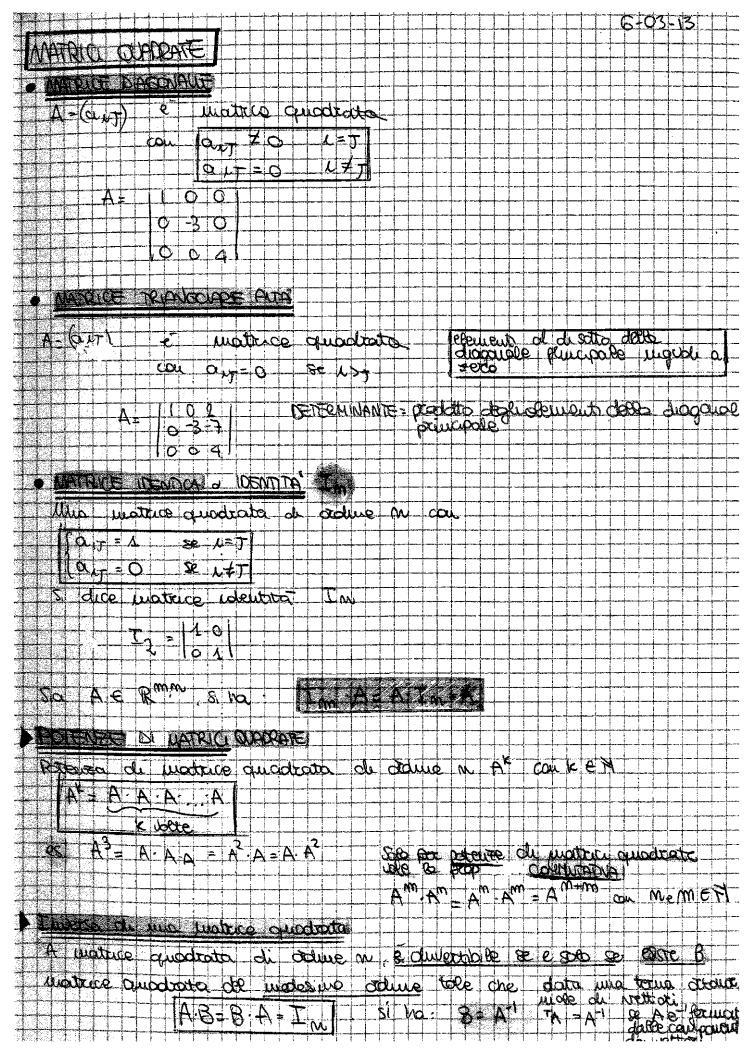




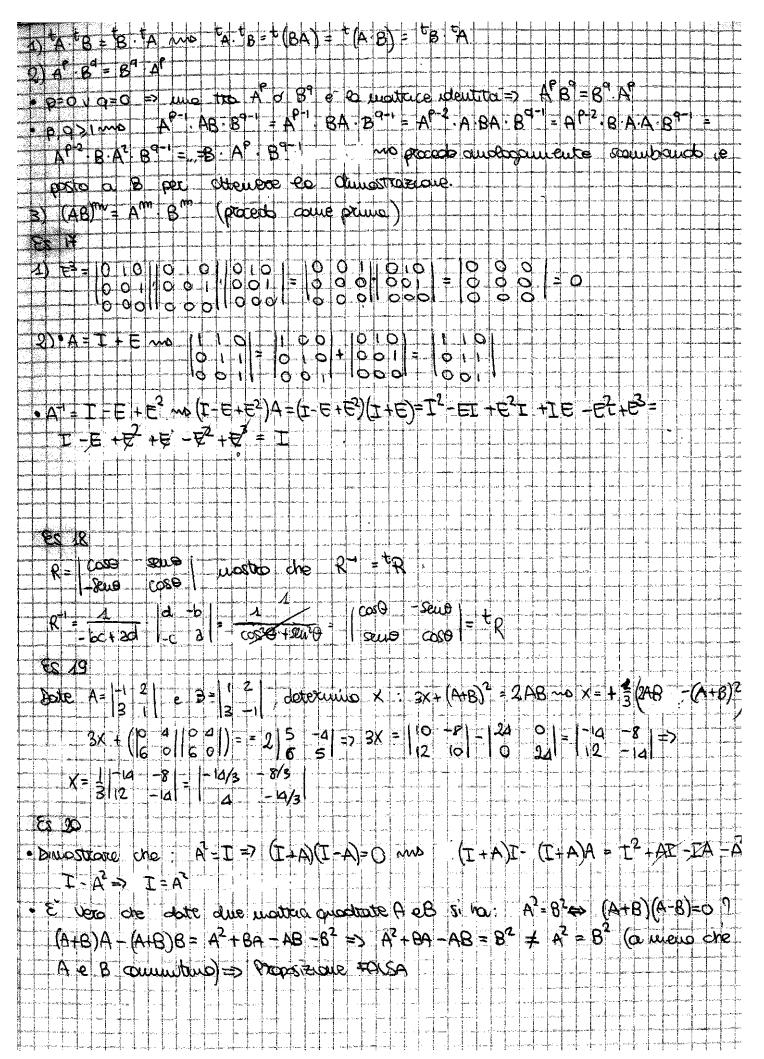


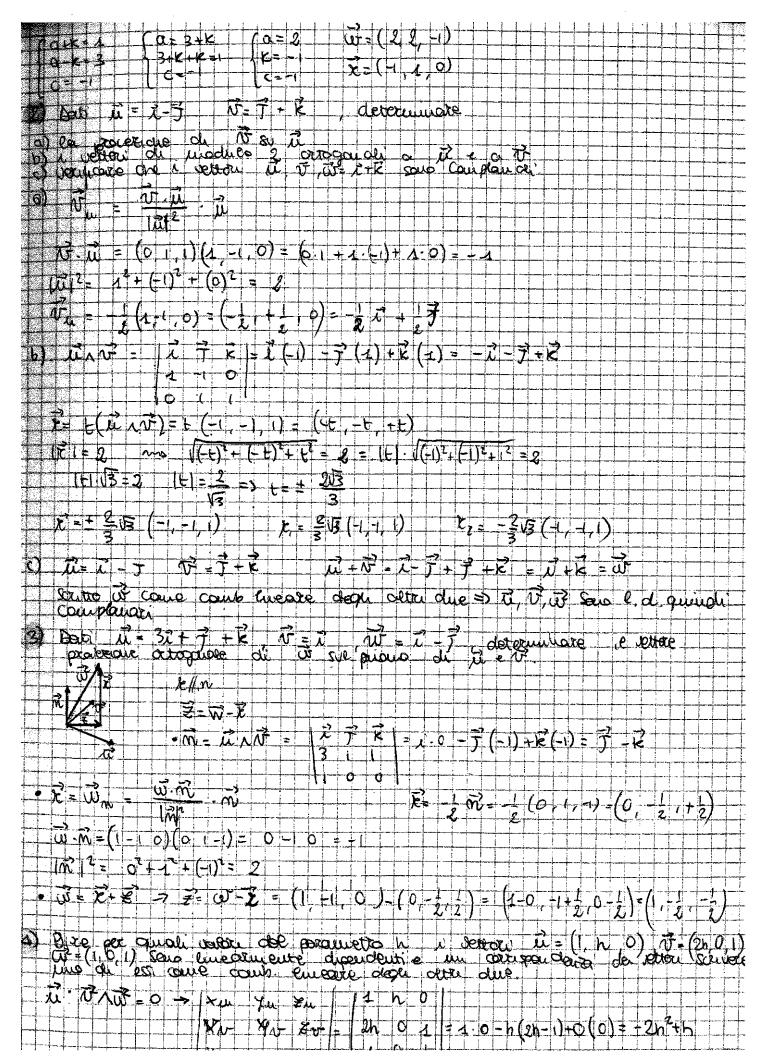


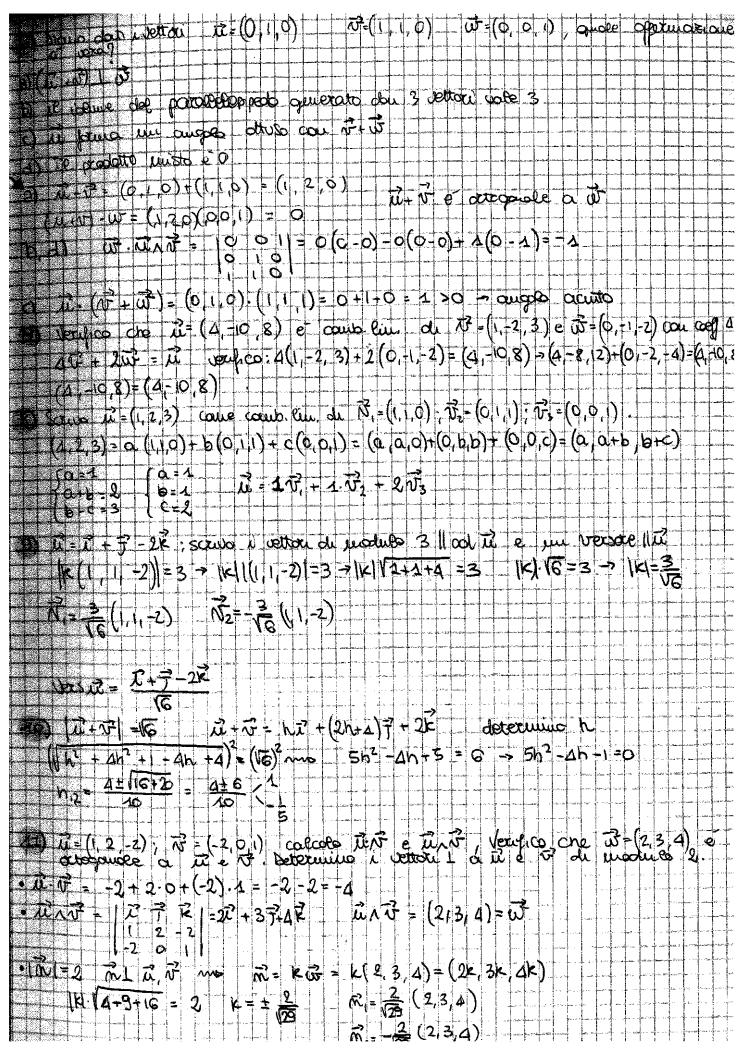


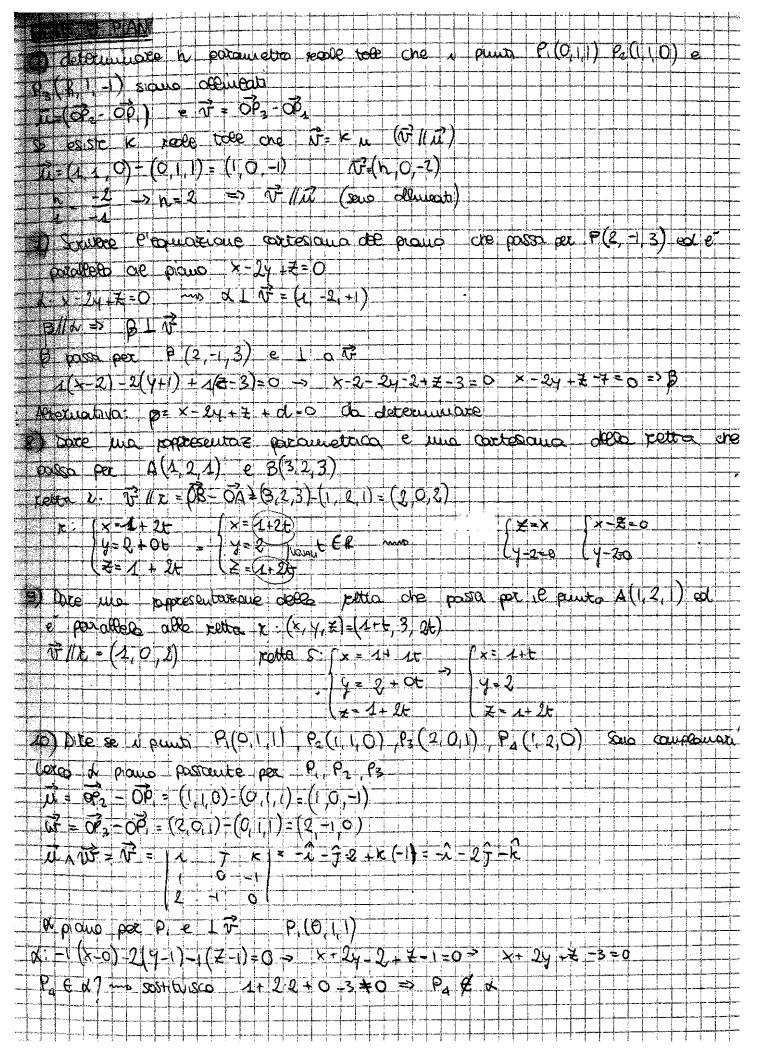


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2) AA+2(B+2x)-3(C+X+1A)=0 -> AA+28+AX-3(-3X-GA=0 X=2A-2B+3C=
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3) 4(A+B+X)+4(-A-B+X)-4(A-B+X)=0 = ZA + AB + AX - ZA - BB + AX - AA + AB - ZX = 1









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Fosio \exists $\lambda(\lambda \not\equiv 13)^+ \mu(y \cdot 2) = 0$ 2) Trave proces aroques de $P(0, y - 1)$ sue proces: $x + 2y + z = 0$ 2. $(x \mid y, \pm) = (0 + t, \lambda + 2t, -\lambda + t) = xeva$ ex $P \in L$ as proces 2. $(x \mid y, \pm) = (0 + t, \lambda + 2t, -\lambda + t) = xeva$ ex $P \in L$ as proces 2. $(x \mid y, \pm) = (0 + t, \lambda + 2t, -\lambda + t) = xeva$ ex $P \in L$ as process 3. $P(x \mid y, \pm) = (0 + t, \lambda + 2t, -\lambda + t) = xeva$ ex $P(x \mid y, \pm) = xeva$ 3. $P(x \mid y, \pm) = xeva$ 4. $P(x \mid y, \pm) = xeva$ 4. $P(x \mid y, \pm) = xeva$ 5. $P(x \mid y, \pm) = xeva$ 5. $P(x \mid y, \pm) = xeva$ 5. $P(x \mid y, \pm) = xeva$ 5. $P(x \mid y, \pm) = xeva$ 6. $P(x \mid y, \pm) = xeva$ 6. $P(x \mid y, \pm) = xeva$ 6. $P(x \mid y, \pm) = xeva$ 7. $P(x \mid y, \pm) = xeva$ 8. $P(x \mid y, \pm) = xeva$ 9. $P(x \mid y, \pm) = xeva$ 9. $P(x \mid y, \pm) = xeva$ 10. $P(x \mid y, \pm) = xeva$ 11. $P(x \mid y, \pm) = xeva$ 12. $P(x \mid y, \pm) = xeva$ 13. $P(x \mid y, \pm) = xeva$ 14. $P(x \mid y, \pm) = xeva$ 15. $P(x \mid y, \pm) = xeva$ 16. $P(x \mid y, \pm) = xeva$ 17. $P(x \mid y, \pm) = xeva$ 18. $P(x \mid y, \pm) = xeva$ 19. $P(x \mid y, \pm) = xeva$ 19. $P(x \mid y, \pm) = xeva$ 10. $P(x \mid y, \pm) = xeva$ 10. $P(x \mid y, \pm) = xeva$ 11. $P(x \mid y, \pm) = xeva$ 12. $P(x \mid y, \pm) = xeva$ 13. $P(x \mid y, \pm) = xeva$ 14. $P(x \mid y, \pm) = xeva$ 15. $P(x \mid y, \pm) = xeva$ 16. $P(x \mid y, \pm) = xeva$ 17. $P(x \mid y, \pm) = xeva$ 18. $P(x \mid y, \pm) = xeva$ 19. $P(x \mid y, \pm) = xeva$ 19. $P(x \mid y, \pm) = xeva$ 19. $P(x \mid y, \pm) = xeva$ 10. $P(x \mid y, \pm) = xeva$ 10. $P(x \mid y, \pm) = xeva$ 110. $P(x \mid y, \pm) = xeva$ 1110. $P(x \mid y, \pm) = xeva$ 11110. $P(x \mid y, \pm) = xeva$ 11110. $P(x \mid y, \pm) = xeva$ 11110. $P(x \mid y, \pm) = xeva$ 111	14=2	2	14.	2,=0					
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Determinate a product of successive and the product of the successive of the succes	A Jaros Ta	ロ(ゴー/	- 3/	\ .	(+1 2	注 人			
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